

## A novel bus Design Technique for On Chip buses to resolve Bus Deadlock

<sup>1</sup> Mohammed Anjum, <sup>2</sup> MD.Mukram Ali,

PG student, Shadan college of Engineering and Technology, Hyderabad, TS, India, [anjum.seema09@gmail.com](mailto:anjum.seema09@gmail.com)

<sup>2</sup> Assistant Professor Shadan college of Engineering and Technology, Hyderabad, TS, India

### Abstract

AXI (Advanced Extensible Interface) is a on chip protocol which supports advanced speed transactions to improve communication efficiency. Out of order transactions that allow responses to be returned in an order different from their request order play an important role in this improvement. This kind of transactions faces the dead lock problem. In order to overcome this dram back we are implemented different kind of techniques and the techniques includes single slave methods and unique Id method and DALs (dead lock avoidance by least stalling method). In this paper we are providing BSG (bus status graph) to indicate how dead lock is overcome using different methods. Each transaction can be executed with tags is called tagged transaction and experimental results show that buses with the proposed technique faster than those with the currently available techniques.

**Keywords:** Advanced extensible interface (AXI), bus dead- lock, on-chip bus, out-of-order transaction, and tagged transaction

### 1. Introduction

Modern electronic systems increase; more and more intellectual property (IP) cores (including processor cores) are embedded in system-on-a-chip (SOC) designs. This brings about a substantial increase in communication traffic for data exchange and synchronization among IP cores. Therefore, the design of communication architecture has become a major factor that dominates the overall system performance.

In the past decade, the advanced high-performance bus and advanced peripheral bus of advanced microcontroller bus architecture [1] are the most popular communication architectures for SOC designs. Both architectures are shared-link buses allowing only one master IP to access one slave IP at a time. Recently, the communication efficiency of shared-link buses becomes insufficient because of their lack of parallel access capability. Some more advanced communication protocols such as advanced eXtensible interface (AXI) [1] and open core protocol (OCP) [2] that facilitate parallel communication are thus proposed. Both AXI and OCP define communication interface protocols and transaction types but leave communication architecture to interconnect designers. Interconnect designers thus have the freedom to implement the communication

protocols using multilayer, crossbar, networks-on-chip [3], or a combination of these designs to increase the communication parallelism.

The communication protocols defined in AXI and OCP support various advanced transactions, including burst trans-actions, pipelined (outstanding) transactions, and out-of-order transactions [1], [2]. Among these transactions, the out-of-order transactions serve as a major key to improve system performance. Out-of-order transactions can be executed more efficiently when a master IP, such as a processor, can handle out-of-order returns as it allows a slave core such as a dynamic random-access memory controller to service requests in the order that is most convenient, rather than the order in which requests are sent by the master [2]. In [4] and [5], the authors show that by employing out-of-order mechanisms in memory controllers, the average execution time can be reduced by 21% to 41% over the conventional in-order memory accessing.

Bus deadlock is a problem that occurs when a set of IP cores communicating through a bus system are involved in a circular wait-and-hold state that cannot be resolved. This problem may crash a bus system as none of the IP cores involved in the deadlock can continue its functions. In [6], the authors invest the bus deadlock problem of a system that allows a

master to execute a process only if the master is granted to access all required slaves of the process and each master will hold the slaves granted to it until all its required slaves are granted to it. A bus deadlock happens when each master in a set of masters is holding a slave and waiting for another slave held by another master in the set. In this type of bus deadlocks, the relation between masters and slaves is similar to that between processes and resources in an operating system (OS) where a deadlock occurs when there is a circular wait-and-hold relation among a set of processes and resources [7]. A resource allocation graph (RAG) is commonly utilized to represent the status of resource allocation in an OS [7]. A vertex in a RAG represents a process or a resource. A directed edge from a process vertex to a resource vertex denotes that the process is requesting the resource, and one from a resource vertex to a process vertex denotes that the resource is being held by the process. In an OS, a deadlock may occur when a cycle exists in the RAG [7]. In [6], the authors thus map the bus deadlock problem to the OS deadlock problem and propose a hardware approach which requires two to four clock cycles to detect the occurrence of a bus deadlock.

In advanced bus/interface protocols such as AXI and OCP, a slave must return responses after some latency when it accepts a transaction request from a master. After the responses are returned and accepted, the transaction is completed and the slave must be released. As a result, a slave will be released from a master no matter whether the master is granted to access all its required slaves or not and thus the bus deadlock problem described in [6] does not happen in these protocols. However, another type of bus deadlock may occur because of the out-of-order transactions supported by these protocols. This is because in general a bus system supporting out-of-order transactions also needs to support transactions that do not allow out-of-order execution. For example, a read operation must wait for a preceding write operation if they address to the same memory location. Such read-after-write operations are commonly encountered in a bus system and they clearly do not allow out-of-order execution. To distinguish the transactions allowing and not allowing out-of-order, both AXI and OCP protocols define tagged transactions, in which a

master tags an ID to each transaction in the way that the transactions whose responses must be returned in order are tagged with the same ID. A bus that fully supports the AXI or OCP protocol is responsible for assuring that the order of the responses returned to each master is the same as their request order if they have the same ID. Thus, the response returned by a slave may not be accepted by the bus and the slave has to wait until the order violation condition disappears. As a tagged transaction must wait for the completion of an earlier issued transaction with the same ID, it is possible that a set of slaves are waiting for one another in a circular way and are all blocked by the bus, resulting in a bus deadlock. This type of bus deadlock is clearly different from that in an OS or that described in [6].

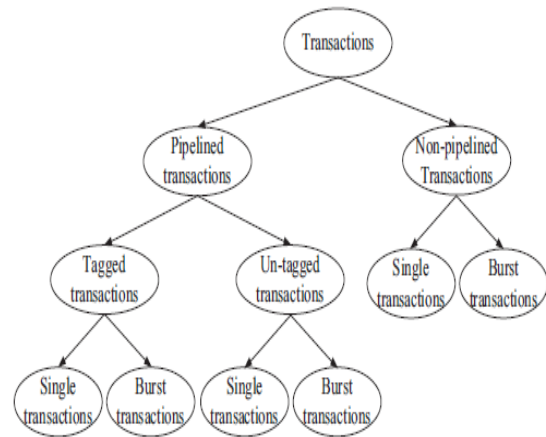


Figure 1: Classification of bus transactions

In this paper, we focus on the deadlock problem of buses supporting out-of-order transactions such as AXI and OCP buses. We first develop a graphical model, called the bus status graph (BSG) model, to represent the relation among the transactions that the bus needs to process. We show that a cycle exists in the BSG if and only if the bus supporting out-of-order transactions is in a state, called an unsafe state that may lead to a bus deadlock. Based on this model, we then propose an efficient technique to solve the bus deadlock problem. The proposed technique will avoid the deadlock problem by stalling requests that will result in an unsafe state. Compared with previous paper, this technique will stall as few requests as possible and thus can achieve much higher communication efficiency.

The rest of this paper is organized as follows. Section II first describes how transactions are processed in a bus system and how a bus deadlock problem occurs. A previous paper on the bus deadlock problem is then examined. Section III describes an on-chip bus design that can support most advanced bus transactions defined in AXI and OCP protocols. This design will be used throughout this paper. Section IV details the developed graphic model and its relation to the deadlock problem. The proposed technique to deal with the deadlock problem is presented in Section V. Experimental results are provided and discussed in Section VI. Finally, Section VII concludes this paper.

## 2. Background and Previous Work:

### 2.1 Bus Transactions and Bus Models

Initially, the transactions that are commonly used in an advanced bus system are described. As shown in Fig. 1, the basic bus transactions are single and burst transactions, where a single transaction is one that requests only one response whereas a burst transaction is one that requests multiple responses. These basic transactions can be either pipelined or nonpipelined. As commonly recognized, a pipelined transaction is one that can be issued before its preceding transaction is completed. As an out-of-order transaction is one that may be completed without waiting for its preceding transactions, all out-of-order transactions can be considered as pipelined ones. In AXI or OCP, the pipelined transactions can be further divided into tagged and untagged ones, where all untagged transactions must be executed in order, whereas the execution orders of the tagged ones depend on the IDs they are tagged. In this paper, we comply with the following order constraints [1], [2].

- 1) All untagged transactions must be executed in order.
- 2) All tagged transactions with the same tag ID must be executed in order.
- 3) Two transactions tagged with different IDs can be executed out of order.
- 4) There is no order restriction on the execution between one tagged transaction and an untagged transaction.

In addition to the above order restrictions, both OCP and AXI require that a slave must return responses of

transactions with the same tag ID in order. In this paper, we assume that the design of each slave complies with this protocol and do not consider it as one of our order restrictions.

To understand fully how a deadlock can occur in a bus, we need to know in general how a transaction is processed in a bus system. Fig. 2(a) shows the basic bus model that is compliant with both AXI [1] and OCP [2] protocols. In this model, a complete bus transaction contains a request phase and a response phase. In a request phase, a master requests to read data from or write data to a slave, whereas in a response phase the slave responds with the read data for the read transaction or the completion status of the written data for the write transaction.

We show how the basic non pipelined transactions are executed in the bus model of Fig. 2(a). With a single transaction, a master requests to access a slave by issuing a request (ReqA) to the bus. If the bus arbiter determines that the master can access the slave, it will forward this request (ReqB) to the slave. As soon as the slave is available to accept this request, it captures the request (ReqB) and acknowledges (AckB) the bus. The bus then forwards the acknowledgment (AckA) to the master, which completes the request phase. After some access latency, the slave responds with the corresponding read data or the completion status of the written data (RespC) to the bus, which then forwards the response (RespD) to the master and waits for the acknowledgment. As soon as the master is available, it captures the response (RespD) and acknowledges (AckD) the bus. The bus can then acknowledge (AckC) the slave to complete the transaction. After the transaction is completed, the master is forced to abdicate the right to access the slave, which implies that if the master wants to access the slave again, it must issue another request and wait for the acknowledgment.

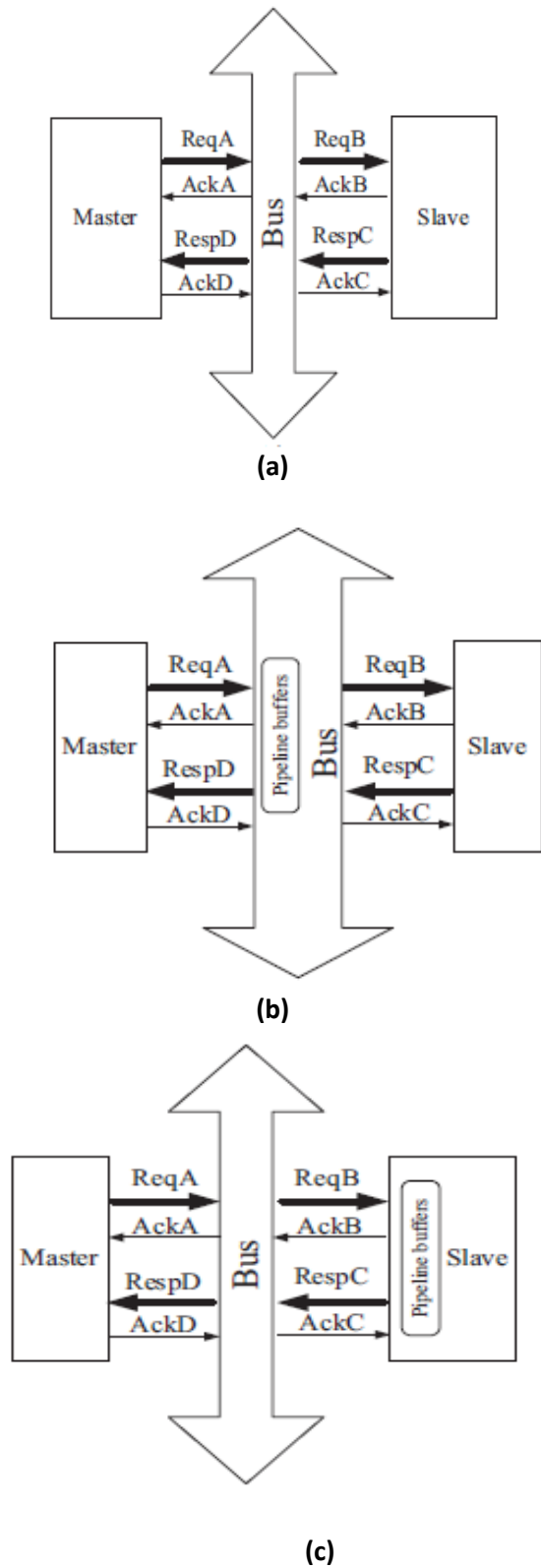


Figure 2: Bus models for (a) basic transactions, (b) pipelined transactions with buffers in the bus, and (c) pipelined transactions with buffers in the slave.

A burst transaction requires multiple data transfers. In AXI, a burst transaction is a single-request burst for which a master only specifies the request information (the access address, the burst length, the burst type, and so on) for the initial transfer. As for OCP, a burst transaction is either a single-request burst or a multirequest burst. A single-request burst transaction in OCP is the same as that in AXI. For a multirequest burst transaction in OCP, a master needs to specify the request information for each transfer in the transaction.

For a bus supporting pipelined transactions, successively issued and uncompleted transactions are buffered in the bus or in the slave. Because of the finite buffer space, the maximum number of transactions that a master can issue before previously issued transactions are completed is limited and known as the pipeline depth. Fig. 2(b) shows the case when the buffers are embedded in the bus, which is also the bus model used in this paper. When the master requests (ReqA) the bus, the bus will acknowledge (AckA) the master directly if there is available buffer space to buffer the transaction in the bus, and will simultaneously forward the request to the target slave. As long as the master is acknowledged, it can issue the next transaction. The remaining process, including the response phase, is similar to that of a nonpipelined transaction. The process for the case where the buffers are in the slave [see Fig. 2(c)] is similar to the above process except that the requests will be buffered in the slave. All transactions discussed so far are untagged and must be returned in the same order as their requests. When a master issue tagged transactions, the order of the returned responses for transactions with the same tag must be the same as their request order. Except for the order of the responses, the requirement of buffers and the handshaking mechanism for tagged transactions are the same as non tagged pipelined transactions. For example, Fig. 3 explains the concept of IDs and the order constraints. The example is a system containing one master ( $M_1$ ) and two slaves ( $S_1$  and  $S_2$ ), and supports out-of-order execution. Assume that each transaction requested by  $M_1$  is tagged with an ID value of zero or one. In the example,  $M_1$  first issues a transaction request  $T_1$  to access  $S_1$  with ID = 0, and then  $T_2$  to access  $S_2$  with ID = 1. After that,  $M_1$  issues request  $T_3$

to access  $S_2$  with ID = 0 and then  $T_4$  to access  $S_1$  with ID = 1. The order constraints restrict that the response of  $T_3$  must be returned after the response of  $T_1$  because the two transactions are both tagged with zero. Similarly, the response of  $T_4$  must be returned after that of  $T_2$ .

### 2.2 Bus Deadlocks

To formally describe the deadlock problem considered, throughout this paper we make the following assumptions about the bus systems.

1) All components in a bus-based system, including masters, slaves, and buses, are compatible with OCP or AXI protocols. In particular, we assume that a slave must return responses of transactions with the same tag ID in order as mentioned before.

2) An arbiter grants a master to access a slave only when the master has the highest priority among the masters being requesting to access the slave and the slave is available to process the request. As a result, when a slave accepts a request from a master, it will return the response after some finite latency.

3) When a response returned from a slave violates any order constraint, the bus is responsible for avoiding the violation by taking some appropriate action such as buffering or not accepting the response. Buffering the responses that cannot be accepted may require large area overhead and thus in this paper, we assume that the bus will not accept any response that violates any order constraint.

We define some terminology related to this paper.

Definition 1: A slave  $S_i$  is waiting for another slave  $S_j$  if a transaction requesting to access  $S_i$  with a tag ID  $d$  is accepted by  $S_i$  and an early transaction with the same tag is accepted by  $S_j$  but  $S_j$  has not returned the response. We denote this waiting relation as  $W_{ij}^d$  with  $W_{ij}^d = 1$  if  $S_i$  is waiting for  $S_j$  because of the tag ID  $d$ . Otherwise,  $W_{ij}^d = 0$ .

Definition 2: In a bus system, if there exists a set of waiting relations that involve  $k$  ( $k > 1$ ) different slaves  $S_{i1}, S_{i2}, \dots, S_{ik}$  and  $k$  different IDs,  $d_1, d_2, \dots, d_k$ , in a circular way such that  $W_{d1i1i2} \& W_{d2i2i3} \& \dots \& W_{dkik i1} = 1$ , then we say that the bus system is in an unsafe state. Otherwise, the bus system is in a safe state.

Definition 3: A slave  $S_i$  is said to be blocked by

another slave  $S_j$  if  $S_i$  has finished the process of a tagged transaction and wants to return the response of the transaction, but the response cannot be accepted because an earlier transaction accepted by  $S_j$  has the same tag but has not returned its response.

Definition 4: A bus system is in a deadlock state if there exist a set of slaves that are blocked in a circular way.

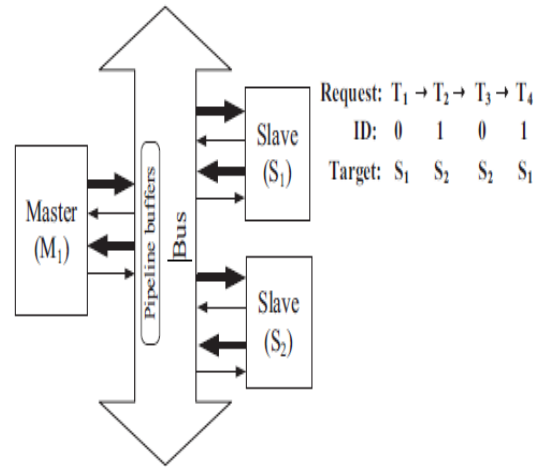


Figure 3: Set of tagged transactions.

We take the example in Fig. 3 again to explain how a deadlock occurs. As  $T_1$  and  $T_3$  are both tagged with ID<sub>0</sub>, and  $T_1$  is accepted by  $S_1$  earlier than  $T_3$  is accepted by  $S_2$ , by Definition 1 we know that  $W_{21}^0 = 1$ . Similarly, we have  $W_{12}^1 = 1$ . Thus by Definition 2, the system is in an unsafe state. Now assume that  $S_1$  processes  $T_4$  faster than  $T_1$  and thus the response of  $T_4$  becomes available earlier than that of  $T_1$ . As  $T_1$  and  $T_4$  are tagged with different IDs,  $S_1$  will try to return the response of  $T_4$  first. However, the acceptance of the response of  $T_4$  by the bus must wait for the response of  $T_2$  since they both are tagged with ID<sub>1</sub>. Now assume that  $S_2$  processes  $T_3$  faster than  $T_2$  and thus  $S_2$  will try to return the response of  $T_3$  first. As  $T_1$  is not returned,  $T_3$  cannot be accepted because they both are tagged with ID<sub>0</sub>. Therefore, the return of  $T_3$  from  $S_2$  cannot be accepted by the bus and thus  $S_2$  will keep trying to return  $T_3$ , which will then block the return of  $T_2$ . Thus by Definition 3,  $S_2$  is blocked by  $S_1$ . Unless  $S_2$  is able to switch the return orders of  $T_3$  and  $T_2$ , which is in general not supported by an IP core,  $S_2$  will continue waiting for the bus. Similarly, the

response of  $T_4$  cannot be accepted by the bus, which will also block the return of  $T_1$  and thus  $S_1$  is blocked by  $S_2$ . Therefore, a bus deadlock occurs. The above analysis indicates that if a bus system is in an unsafe state, then the system will sink into a deadlock if the return orders of the slaves results in a circular block situation.

The bus deadlock problem can be solved clearly by requesting masters not to issue tagged transactions that may result in an unsafe state, or by constraining each slave to return all its responses of transactions in their acceptances by the slave. However, a bus deadlock generally involves a set of IP cores, and solving the deadlock problem at individual IP cores may over-solve the problem and thus decrease the performance. We mentioned that both OCP and AXI require each slave to return responses of transactions with the same tag ID in order. However, they also allow slaves to return responses of transactions with different IDs out of order. As tagged transactions aim to improve communication efficiency, solving the bus deadlock problem at the communication systems, i.e., the buses, should be more appropriate and efficient. In this paper, we deal with the bus deadlock problem inside the on-chip buses. This enables legacy IPs with no deadlock consideration to be reusable without the risk of falling into a deadlock, and the effort of designing new IPs is not increased because of the consideration of a bus deadlock.

### 2.3 Previous Work for Bus Deadlock

Similar to an OS, one approach to detect a bus deadlock is to set a timer that will expire some clock cycles later after a bus transaction is expected to be completed. However, to prevent the timer from expiring when there is no bus deadlock, the timer must be set to accommodate any possible latency of transactions. This will result in a long latency between the occurrence and the detection of a bus deadlock and thus the communication efficiency may be drastically affected. The method in [8] embeds a bus tracer in buses to monitor bus transactions. If the tracer detects a condition indicating some transaction is waiting or retrying, a counter with a predetermined number starts to count down. When the counter is decreased to zero, it is regarded as a deadlock occurs. With this method, a bus deadlock can be detected with few clock cycles. However, the

predetermined number is difficult to determine appropriately. If the number is too small, designers may encounter the problem of over detection, whereas if it is too large, the latency between the occurrence and the detection of deadlocks is still long. Also, for both a timer and a bus tracer, after detecting the deadlock, some complicated mechanism is required to resume the bus system to the state before the deadlock, which may require large hardware overhead.

In [9], three methods are implemented to deal with the bus deadlock problem, namely the single-slave scheme, the unique ID scheme, and the hybrid scheme. The main idea of these methods is to stall some tagged transactions that may violate the order constraints. The single slave scheme stalls a tagged transaction targeting a slave if another slave is being accessed by an uncompleted tagged transaction. The unique ID scheme stalls requests whose IDs are already assigned to some uncompleted transactions. These two schemes, respectively, restrict that at any time, at most one slave can be accessed by tagged transactions, and each ID can be used by at most one tagged transaction. The hybrid scheme combines the two schemes by allowing any tagged transaction that satisfies either the single slave or the unique ID constraint. Though the communication efficiency can be improved, this scheme still over-stalls many tagged transactions that will not cause any bus deadlock. We will analyze this problem by using the proposed graph model later and show that our proposed technique can result in much better performance than these schemes.

### 3. ON-CHIP BUS DESIGN

This section describes the architecture of the on-chip bus used in this paper. We will describe how a transaction is processed inside the bus. Compared to previous bus designs [10]–[15], we emphasize the supporting of various advanced transaction types in OCP and AXI. As shown in Fig. 4, our bus supports single, burst, pipelined (outstanding), and tagged transactions. We divide the components of the bus system into three parts: 1) the components for each master interface; 2) the components for each slave interface; and 3) the components in the center that will be shared by all masters and slaves. Fig. 4 shows a bus system with one master and one slave. If /

masters ( $m$  slaves) are to be employed,  $l$  ( $m$ ) copies of the components in the master (slave) interface should be employed, whereas only one copy of the components in the center is needed.

A tagged transaction starts with a master issuing a request with an ID to the bus. In the request phase, if the Request Buffer in the bus is not full, the bus acknowledges the master and the request is stored in the Request Buffer. The Decoder then decodes the transaction address of the request, and the Arbiter arbitrates whether the request can be granted to

access the target slave. If it can be granted, the Arbiter forwards the request to the slave by controlling the corresponding multiplexers, and the index of the target slave is recorded in one of the Recorders, in the way that the transactions with the same tag are recorded in the same Recorder. The number of Recorders is equal to the number of IDs that the corresponding master can assign. Also the size of each Recorder is equal to the pipeline depth such that it is just enough to record all transactions that are not completed.

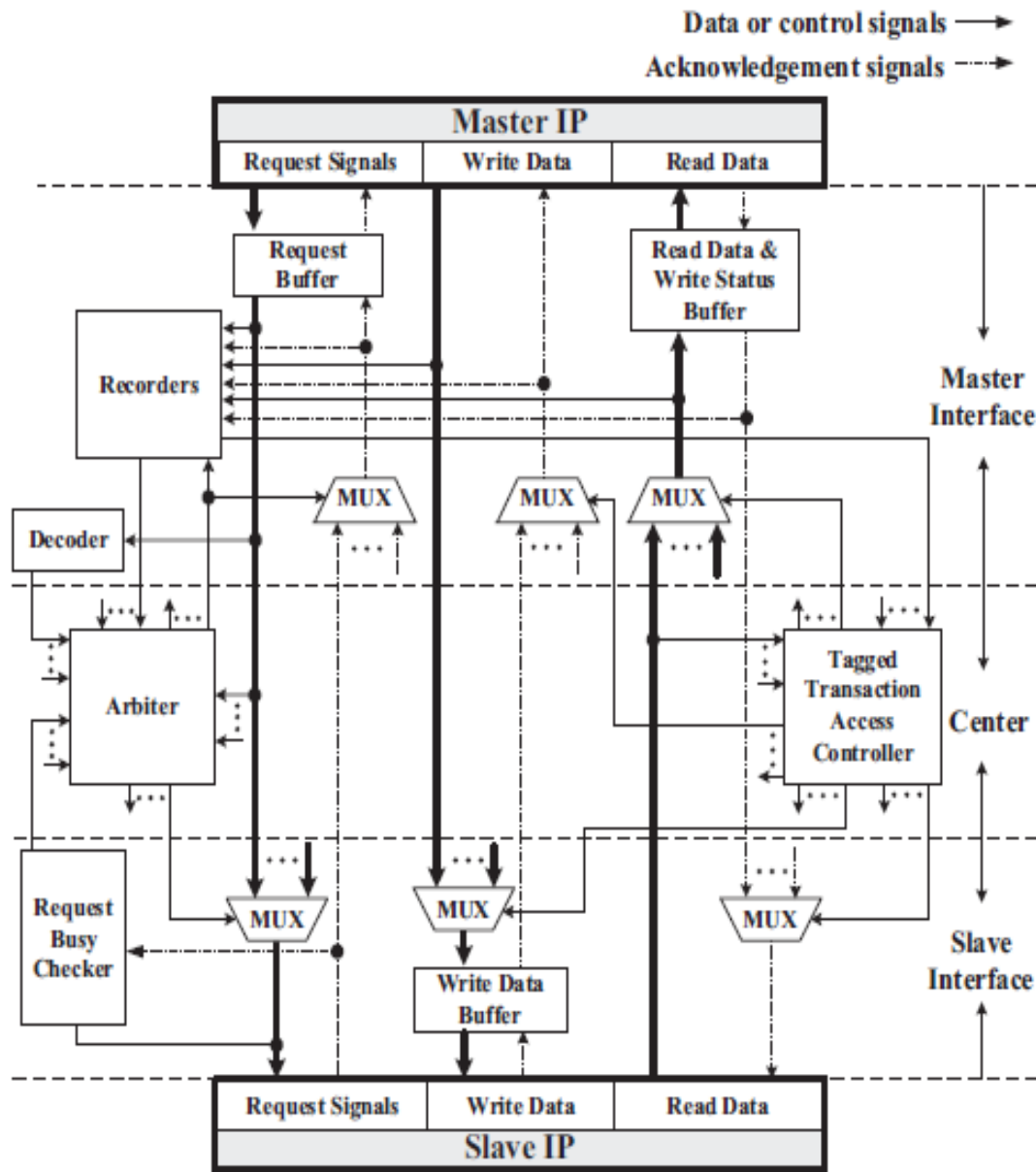


Figure 4: Bus architecture supporting tagged transactions.

The Request Busy Checker checks whether the request is completed or not to assist the arbitration. For a write request, the corresponding write data are stored in the Write Data Buffer, and the Tagged Transaction Access Controller controls the multiplexors to decide from which master the write data are to be provided. After the slave accepts the request, it acknowledges the bus, and the acknowledgment is forwarded to the Request Buffer under the control of the Arbiter.

In the response phase, the slave responds the bus with the read data for a read transaction or the completion status of the written data for a write transaction. If the responses can be accepted, they are stored in the Read Data and Write Status Buffer, which then acknowledges the slave. The tagged transaction access controller controls the multiplexors to decide from which slave the response is provided and from which read data and write status buffer the acknowledgment comes. Finally, the response is sent to the master when the master is able to receive it.

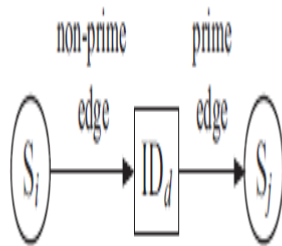


Figure 5: Prime edge and nonprime edge in BSG indicating  $S_i$  is waiting for  $S_j$  because of  $ID_d$ .

In the bus model, the masters and slaves are connected by the bus in a crossbar manner and thus parallel transactions can be executed as long as no contention occurs. When more than one request from different masters to access the same slave arrives simultaneously, the arbiter will determine whether the request with the highest priority can be granted or not. If it cannot be granted, the arbiter will start a new arbitration with possibly some priority updating (such as round robin). If it can be granted, the request will be forwarded to the corresponding slave. Once a request is granted, it can be processed in parallel with other granted requests. As a result, high communication parallelism can be achieved by this bus design.

**4. BUS STATUS GRAPH**

We now describe the proposed BSG model. A BSG contains two types of vertices, namely slave vertices and ID vertices, and two types of edges, namely prime edges and nonprime edges. Each vertex in a BSG represents a slave or a tag ID. Consider an SOC system containing  $m$  slaves and employing totally  $n$  tag IDs. Without loss of generality, we denote the set of slave vertices as  $S = \{S_1, S_2, \dots, S_m\}$  and the set of ID vertices as  $ID = \{ID_0, ID_1, \dots, ID_{n-1}\}$ . The same ID values tagged by different masters are regarded as different IDs in the ID vertex set. A BSG representing this system will contain  $m + n$  vertices. To distinguish the slave and ID vertices, we use a circle and a square to represent a slave vertex and an ID vertex in a BSG. We do not model the masters in the graph. Later, the rationale for this will become clear.

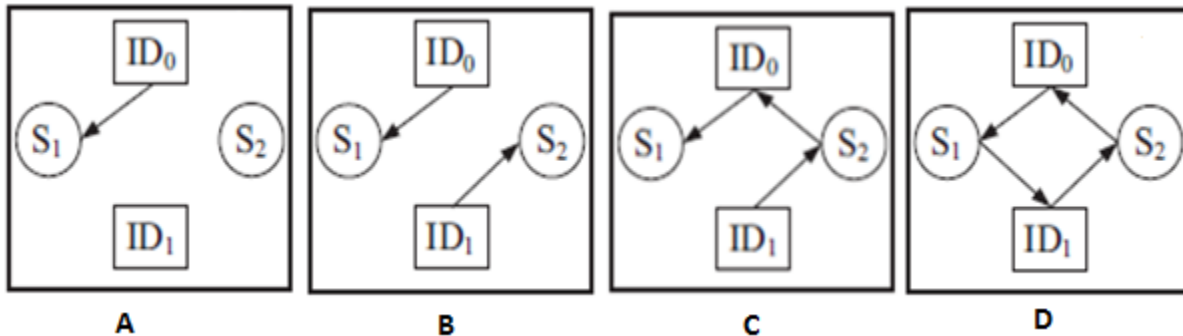


Figure 6: Example of BSG indicating system is in unsafe state.



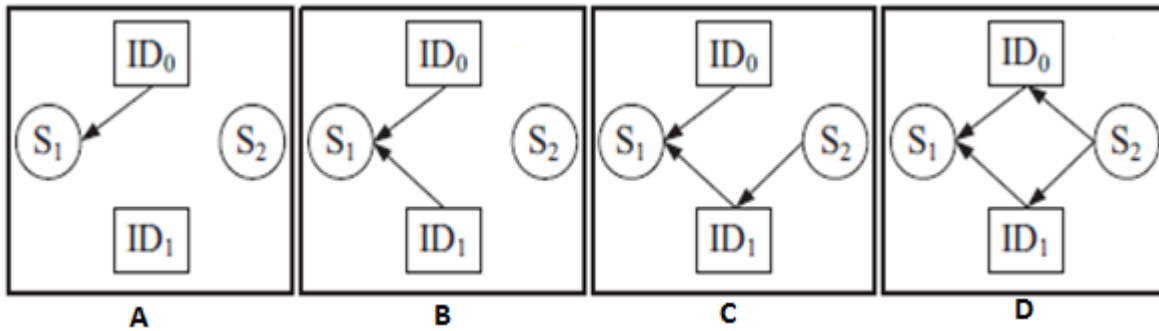


Figure 7: Example of BSG indicating system is in safe state.

Each edge in the graph represents a transaction request that is accepted by a slave but is not completed. A prime edge is one from an ID vertex to a slave vertex and a nonprime edge is one from a slave to an ID. As shown in Fig. 5. A prime edge from vertex  $IDd$  to vertex  $Sj$  indicates that the transaction corresponding to the edge is requesting to access  $Sj$  and is the first accepted transaction among all currently accepted but not completed transactions with the tag  $IDd$ . A nonprime edge from vertex  $Si$  to vertex  $IDd$  indicates that the corresponding transaction is targeting  $Si$  but is not the first accepted transaction among the accepted but not completed transactions tagged with  $IDd$ . These definitions implies that at any time there can be at most one prime edge associated with an ID vertex, and each transaction corresponding to a nonprime edge must wait for the completion of the transaction corresponding to the prime edge with the same ID.

For a BSG, when a transaction with tag  $IDd$  is accepted by a slave  $Sj$ , a prime edge from vertex  $IDd$  to vertex  $Sj$  appears if there is no uncompleted transaction with the same  $IDd$  in the bus system. Otherwise, a nonprime edge from vertex  $Sj$  to  $IDd$  appears which implies that the transaction must wait for some other transaction to complete. Using our waiting relation notation, in Fig. 5 we have the waiting relation  $Wd_{ij} = 1$ . When one transaction corresponding to a prime edge is completed, the prime edge will disappear, and one of the nonprime edges (if any) will become a prime edge, i.e., the edge corresponding to the transaction that is accepted earliest among all the transactions that are waiting for the just completed transaction will become a prime one. Based on the definition of a BSG, we can see that a cycle in a BSG implies that a set of waiting

relations exist in a circular way, which indicates that the bus system is in an unsafe state. Take the transactions in the bus system in Fig. 3 again as an example.

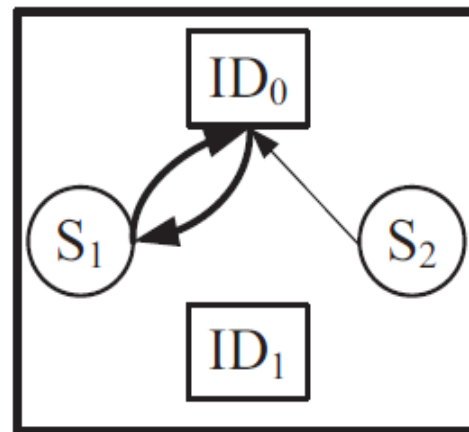


Figure 8: A cycle composed of multiple edges does not imply that the bus system is in an unsafe state.

The SOC system contains two slaves, so there are two vertices in the slave vertex set, namely  $S1$  and  $S2$ . The IDs can be zero or one, so there are also two vertices in the ID vertex set, namely  $ID0$  and  $ID1$  (respectively, refers to ID value zero and one). When the master in Fig. 3 first requests  $T1$ , a prime edge from  $ID0$  to  $S1$  appears in the BSG as shown in Fig. 6(a). The master then requests  $T2$  which accesses  $S2$  with  $ID1$ . A prime edge from  $ID1$  to  $S2$  will appear after  $T2$  is accepted by  $S2$  as shown in Fig. 6(b). When the master requests  $T3$  which accesses  $S2$  with  $ID0$ , there is one uncompleted transaction ( $T1$ ) tagged with  $ID0$ . Thus Fig. 6(c) shows a nonprime edge from  $S2$  to  $ID0$  appears after  $T3$  is accepted by  $S2$ . Similarly, Fig. 6(d) shows that a nonprime edge from  $S1$  to  $ID1$  will appear after  $T4$  is accepted by  $S1$ . In Fig. 6(d), a cycle

exists in the BSG, and the bus system is in an unsafe state that may lead to a bus deadlock.

Now consider the case when the request orders of the transactions in Fig. 3 are  $T_1 \rightarrow T_4 \rightarrow T_2 \rightarrow T_3$ . As Fig. 7(a) and (b) shows, there are no uncompleted transactions tagged with ID<sub>0</sub> or ID<sub>1</sub> when  $T_1$  and  $T_4$  are accepted. Hence, two prime edges associated with  $S_1$  appear. Assume that when  $T_2$  and  $T_3$  are accepted,  $T_4$  and  $T_1$  are not completed yet. Then two nonprime edges will appear as shown in Fig. 7(c) and (d). In this case, no cycle exists in the BSG. Thus no matter how the responses from  $S_1$  and  $S_2$  are returned, no deadlock can occur.

From the definition of vertices and edges of a BSG and the examples given above, it appears that a bus system is in an unsafe state when a cycle appears in the BSG. However, we have to consider that multiple edges may exist between a slave vertex and an ID vertex of a BSG, and thus a cycle composed of multiple edges between two vertices as shown in Fig. 8 may exist. As multiple edges can appear between a pair of slaves and an ID only if the transactions corresponding to these edges are issued by the same master because of the fact that IDs assigned by different masters are regarded as different, and slaves must return responses of the transactions with the same ID in order, there cannot be any deadlock among the transactions corresponding to these multiple edges. Thus, deadlock can occur only when a cycle involving at least two slaves and two IDs. In this paper, we shall call a cycle as a nontrivial cycle if it is a simple cycle involving multiple slave vertices and multiple ID vertices, where a simple cycle is a cycle in which no vertex or edge appears more than once.

**5. BUS DEADLOCK SOLUTION**

In this paper, we propose a technique to solve the bus deadlock problem based on BSG. Because no

deadlock occurs if a bus system is always in a safe state, the proposed technique avoids deadlocks by stalling requests that will result in nontrivial cycles in the BSG. A similar request stalling concept to avoid deadlocks is also adopted in [9]. The main difference between our technique and those in [9] is that under the help of BSG we can stall much less requests but can still guarantee that no deadlock will occur.

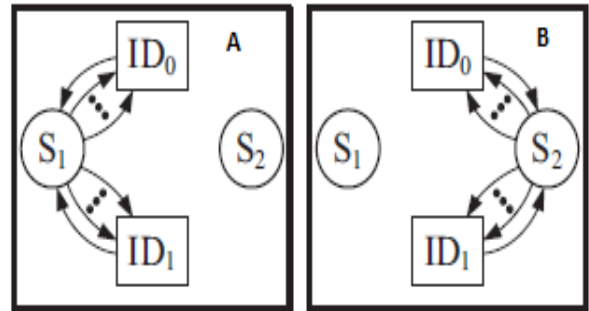


Figure 9: Legal requests under single slave scheme.

**5.1 Deadlock Avoidance Concept**

Before detailing our deadlock solution, we illustrate the techniques in [9] using BSGs to show how they avoid deadlocks. We will use the designs with two IDs and two slaves in the following description to illustrate the various deadlock avoidance schemes. The single slave scheme [9] only allows tagged requests to access the same slave. Fig. 9(a) and (b) shows the legal requests under this scheme, i.e., the requests that will be forwarded to the slave but not stalled in the bus. Multiple edges between two vertices are allowed in this scheme. The unique ID scheme [9] only allows one tagged request for each ID. If there are  $k$  available IDs, at most  $k$  tagged requests can be accepted. Legal requests under the unique ID scheme are shown in Fig. 10(a)–(d).

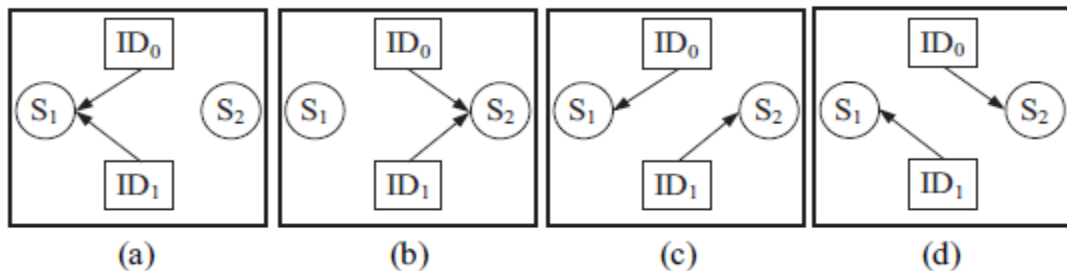


Figure 10: Legal requests under unique ID scheme.

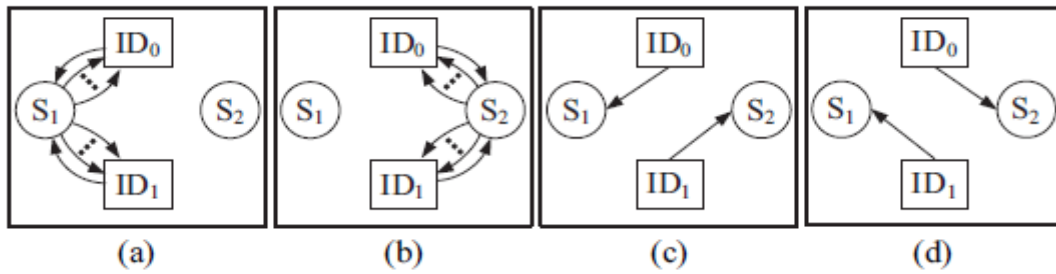


Figure 11: Legal requests under hybrid scheme.

The hybrid scheme [9] combines the above two schemes and allows multiple requests to the same slave with the same ID in the unique ID basis, i.e., all requests tagged with the same ID must target the same slave. Legal requests under the hybrid scheme are shown in Fig. 11(a)–(d). From these graphs, we can see that many transactions that will not result in a deadlock cannot be forwarded to slaves. For example, in Fig. 11(a), a request to access S2 with ID0 or ID1 can still be issued and accepted by S2 without causing any deadlock. We next describe our deadlock solution. Our deadlock avoidance approach, called the deadlock avoidance by least stalling (DALs), stalls a request only if forwarding the request will form a nontrivial cycle in a BSG. Based on this idea, legal requests in a design with two IDs and two slaves under our DALs are shown in Fig. 12, where we

classify the edges corresponding to requests targeting S1 and S2 with ID0 into edge sets A and B, respectively, and classify those corresponding to requests targeting S2 and S1 with ID1 into edge sets C and D, respectively. If any of the four request sets is empty, no nontrivial cycle exists in the BSG. Fig. 12(a) and (b) shows the case of the edge set A being empty, where the first request tagged with ID1 targets S2 in Fig. 12(a) and the first request tagged with ID1 targets S1 in Fig. 12(b). In both cases, the first request tagged with ID0 target S2. These figures indicate that any new request belonging to sets B, C, or D can be accepted with no risk of deadlock occurring. Fig. 12(c)–(h) shows the legal requests in the cases that edge sets B, C, and D are empty, respectively.

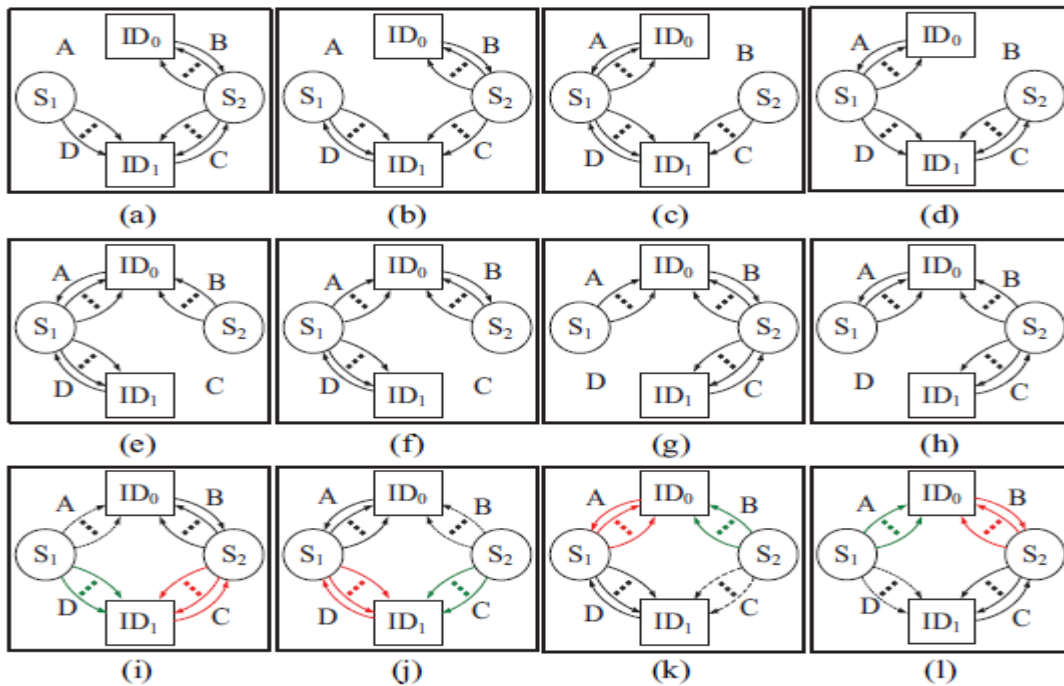


Figure 12: Legal requests under our DALs.

In addition, in some cases the proposed DALs also forwards requests in the fourth edge set. Consider Fig. 12(a) again. If a new request accessing  $S_1$  and tagged with  $ID_0$  is accepted by  $S_1$ , an edge in edge set  $A$  appears. This edge must be a nonprime edge from  $S_1$  to  $ID_0$  because a prime edge associated with  $ID_0$  already exists. Thus no counter-clockwise nontrivial cycle can occur in Fig. 12(a). Now if all the requests in  $C$  are accepted by  $S_2$  earlier than all the requests in  $D$  are accepted by  $S_1$ , the edges in  $D$  must be nonprime edges before all requests in  $C$  are completed. Therefore, no clockwise nontrivial cycle can occur in Fig. 12(a) either. As a result, no deadlock can occur even if a new request in  $A$  is accepted. We show the results of this analysis in Fig. 12(i) where all requests in  $C$  are marked in red and all requests in  $D$  are marked in green with the order that all red edges are requested and accepted before all green edges. The dashed edges in  $A$  indicate the new requests that can be issued in this case. Similarly, as shown in Fig. 12(j)–(l), dashed requests in request sets  $B$ ,  $C$ , and  $D$  can be, respectively, issued and accepted by slaves if the requests marked with red are accepted earlier than

those marked with green. In our proposed DALs, we do not stall any dashed request in Fig. 12(i)–(l). It can be verified that in Fig. 3, our DALs does not stall any request until the fourth transaction is requested, whereas the single slave scheme will stall the second and both the unique ID and the hybrid schemes will stall the third transactions. If the request  $T_3$  are accepted before  $T_1$  [in Fig. 12(l)], the fourth request  $T_4$  could also be accepted by DALs.

### 5.2 Hardware Implementation

The hardware design of our DALs attempts to stall the least number of transactions. In addition, we also target to complete the decision of whether to stall a transaction in one clock cycle. We propose a hardware implementation that contains a number of waiting relation detectors and a number of unsafe state predictors which altogether requires only one clock cycle for the stall decision. Each waiting relation detector determines whether a pair of slaves has a waiting relation between them. According to the results of these detectors, the unsafe state predictors predict whether forwarding a request will result in an unsafe state. These designs are detailed next.

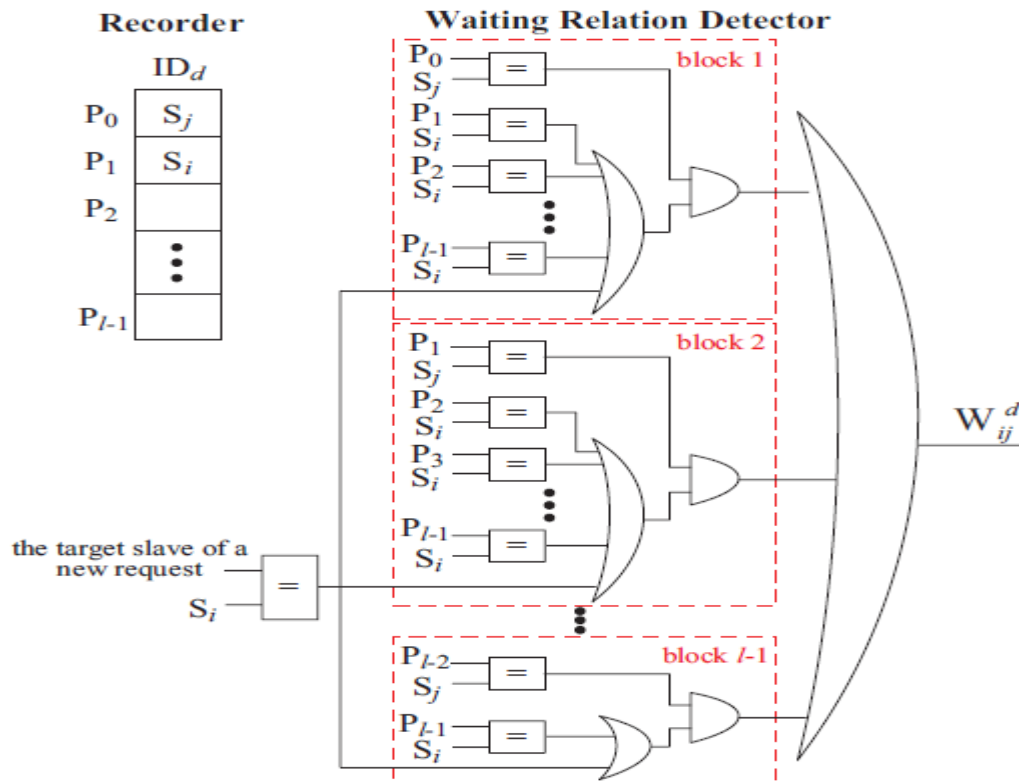


Figure 13: Recorder and waiting relation detector.

### 5.2.1 Waiting Relation Detectors:

As mentioned in Section 3, we allocate a recorder for each ID in the bus system, and the index of a target slave of a tagged transaction is recorded in a corresponding recorder when the transaction is accepted by the slave. Responses from different slaves with the same ID must be returned in the order that they are recorded in the recorder. The hardware implementation of the waiting relation detector detecting  $Wd_{ij}$  is shown in Fig. 13. The left side shows a recorder to record the transactions with tag  $IDd$ . The recorder is implemented using a shift queue with the following features.

- 1) The indices of the slaves accepted are put in the recorder in a first-in-first-out manner.
- 2) The first entry ( $P0$ ) always contains the index of the slave that accepts the earliest transaction among all the accepted but not completed transactions with tag  $IDd$ , which is corresponding to the prime edge associated with  $IDd$  in the corresponding BSG.
- 3) When the response from the slave recorded in  $P0$  is returned, a shift operation is performed to remove the index of the slave from the recorder and all the indices of the slaves in the remaining entries of the buffer are shifted toward  $P0$  by one position.

The  $P0$  and  $P1$  entries of the  $IDd$  recorder in Fig. 13 shows that a request to  $S_j$  with  $IDd$  is first accepted by  $S_j$  and then a request to  $S_i$  with  $IDd$  is accepted by  $S_i$ . Now a new transaction also tagged with  $IDd$  is requested. The proposed waiting relation detector will detect the waiting relations of already accepted requests as well as the waiting relations if the new request is accepted as described below. As shown in Fig. 13, the waiting relation detector for  $Wd_{ij}$  contains: 1)  $l-1$  blocks of circuits, where  $l$  is the size of the recorder; 2) a comparator feeding the  $l-1$  blocks; and 3) an OR gate taking the OR operation of the outputs of the  $l-1$  blocks. The comparator outside the blocks determines whether the new request is targeting  $S_i$  or not. The first comparator in block 1 determines whether the slave ID recorded in  $P0$  is  $S_j$  or not, the remaining  $l-1$  comparators determine whether  $S_i$  is stored in any location other than  $P0$ . This block determines whether  $S_i$  is waiting or will wait for  $S_j$  in  $P0$  if the new request is accepted. Similarly, the circuits in block 2 detect whether  $S_i$  is waiting or will wait for  $S_j$  in  $P1$  and so on. Thus all

blocks together can detect whether the relation  $Wd_{ij}$  already exists or will exist if the new request is accepted.

### 5.2.2 Unsafe State Predictors:

In a system containing  $m$  slaves and  $n$  IDs, a nontrivial circular waiting cycle may occur among any  $k$  [ $2 \leq k \leq \min(m, n)$ ] slaves. We define a cycle group as a set of nontrivial circular waiting cycles that occur among the same slaves with the same waiting order, regardless of which IDs they are tagged. For, example both the waiting cycles  $W_{12}^1 & W_{23}^2 & W_{31}^3 = 1$  and  $W_{12}^2 & W_{23}^3 & W_{31}^4 = 1$  occur among  $S_1, S_2$ , and  $S_3$  with the waiting orders of  $S_1$  waiting for  $S_2$ ,  $S_2$  waiting for  $S_3$ , and  $S_3$  waiting for  $S_1$ , so they are in the same cycle group. In contrast, the waiting cycles  $W_{12}^1 & W_{23}^2 & W_{31}^3 = 1$  and  $W_{13}^1 & W_{32}^1 & W_{21}^1 = 1$  are indifferent groups. In our DALs implementation, we allocate an unsafe state predictor for each cycle group to predict whether any nontrivial circular waiting cycle in the cycle group exists. We thus can predict the occurrence of any nontrivial circular waiting cycle in a system using all unsafe state predictors together. The implementation of the unsafe state predictors is based on monitoring the waiting relations from the waiting relation detectors. We take the unsafe state predictor for the cycle group  $W_{12}^{d1} & W_{23}^{d2} & \dots & W_{kl}^{dk} = 1$  as an example for illustration, where  $d_1, d_2, \dots, d_k$  are  $k$  different IDs. The occurrence of all nontrivial circular waiting cycles in other cycle groups can be predicted with the similar concept.

### 5.2.3 Configurable arbiter:

The BUS interconnect architecture shown in fig4, in this we use the arbiter for granting the incoming request, the proposed arbiter is configurable arbiter, The reconfigurable hybrid arbitration algorithms can be achieved by assigning different arbitration algorithms into functional blocks. To study the effects of the various reconfigurable arbitration schemes, the performance analysis is further simulated based on various permutations of arbitration algorithms for different blocks under the same traffic distribution pattern.

To describe clearly the architecture of the proposed reconfigurable arbiter, we present the hardware architectures for fixed priority, round-robin, and random access, respectively. The request signals of

Master 0 (M0), Master 1 (M1), Master 2 (M2), and Master 3 (M3) are assigned to BUSREQ0, BUSREQ0, BUSREQ0 and BUSREQ0, respectively. Then, the priority order is assigned to  $M0 > M1 > M2 > M3$ , where M0 owns the highest priority. The granted

signals are Grant0, Grant1, Grant2, and Grant3 are for M0, M1, M2, and M3, respectively.

**Simulation Results:**

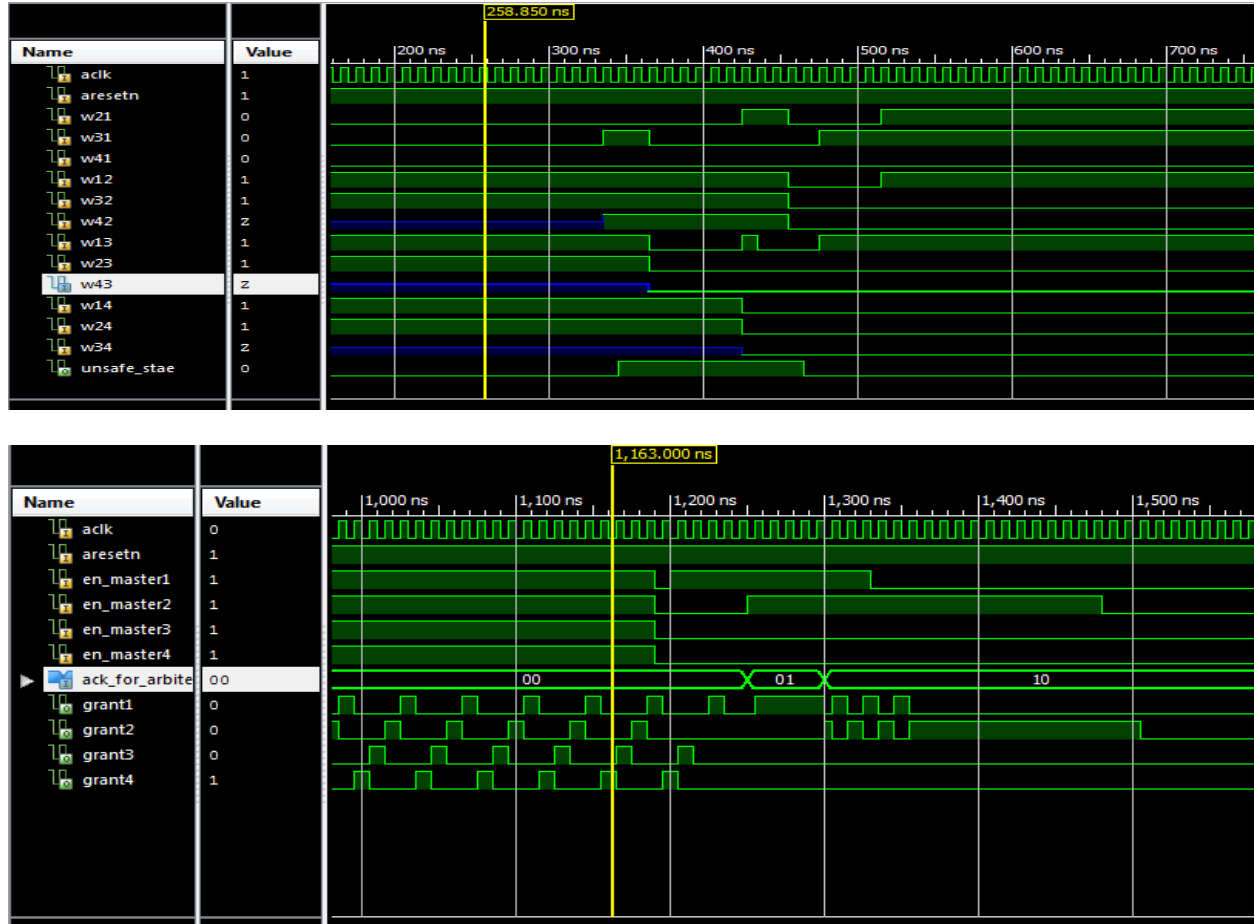


Figure 14:

**6. CONCLUSIONS**

Advanced communication protocols such as AXI and OCP can greatly improve the overall performance of a large VLSI system. However, the whole system may sink into a deadlock if designers do not carefully handle the advanced transactions. In this paper, we proposed a new graph model called the BSG to model the behavior of a bus system that can describe the necessary and sufficient condition for an unsafe state to occur. We then proposed a technique to solve the deadlock problem.

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